#### STAI Journal Club

# Generative causal explanations of black-box classifiers

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• Brief introduction to Vatriational AutoEncoders (VAE)<sup>1</sup> and Causal Inference<sup>2</sup>.

<sup>&</sup>lt;sup>1</sup>Diederik P Kingma and Max Welling. "An introduction to variational autoencoders". In: *arXiv preprint arXiv:1906.02691* (2019). <sup>2</sup>Judea Pearl. "The seven tools of causal inference, with reflections on machine learning". In: *Communications of the ACM* 62.3 (2019), pp. 54–60.



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- Limitations and Future directions

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VAEs are generative methods to approximate the data distribution with an explicit likelihood formulation.



 $loss = || x - x^{2} ||^{2} + KL[N(\mu_{x}, \sigma_{x}), N(0, I)] = || x - d(z) ||^{2} + KL[N(\mu_{x}, \sigma_{x}), N(0, I)]$ 

• VAE approximates data distribution.

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- VAE framework helps us to control latent space, in terms of disentanglement.
- As VAEs assume Gaussian priors, this results in elegant bound estimation (further reading: ELBO<sup>3</sup>).

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# Causal Inference



Causal inference can be categorized into three different stages:

- Association
- Intervention
- Counterfactuals



# Causal Inference



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<sup>4</sup> ML beyond Curve Fitting: An Intro to Causal Inference and do-Calculus. https://www.inference.vc/untitled/.

• Explainable AI helps us trust deep learning models, in any high stack decision making problems.

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- Causal explainability helps us to determine true cause and effect in the decision making process.

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- Controlled experimentation.

# Methodology



$$\mathop{\arg\max}_{g \in G} \quad \mathcal{C}(\alpha, Y) + \lambda \cdot \mathcal{D}\left(p(g(\alpha, \beta)), p(X)\right)$$

**Proposition 2** (Information flow in our DAG). The information flow from  $\alpha$  to Y in the DAG of Figure 1(b) coincides with the mutual information between  $\alpha$  and Y. That is,  $I(\alpha \to Y) = I(\alpha; Y)$ , where mutual information is defined as  $I(\alpha; Y) = \mathbb{E}_{\alpha, Y} \left[ \log \frac{p(\alpha, Y)}{p(\alpha)p(Y)} \right]$ .

**Algorithm 1** Principled procedure for selecting  $(K, L, \lambda)$ .

1: Initialize  $K, L, \lambda = 0$ . Optimizing only  $\mathcal{D}$ , increase L until objective plateaus.

2: **repeat** increment K and decrement L. Increase  $\lambda$  until  $\mathcal{D}$  approaches value from Step 1.

3: until C reaches plateau. Use  $(K, L, \lambda)$  from immediately before plateau was reached.

Results



• Limited experimentation.

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- Method only works against linear generative class models.
- It's hard to associate explanations to the classifier.

• Incorporate classifiers influence to a greater extent in generating explanations.

<sup>&</sup>lt;sup>5</sup>Nick Pawlowski, Daniel Coelho de Castro, and Ben Glocker. "Deep structural causal models for tractable counterfactual inference". In: Advances in Neural Information Processing Systems 33 (2020), pp. 857–869.

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- To incorporate an idea of DSCM<sup>5</sup> in the framework.

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## Thank You!